

## NOTATION INDEX

<i>Symbol</i>	<i>Description</i>	<i>Page</i>
$\text{Aut}\mathcal{P}(\mathcal{H})$	projective group of automorphisms of $\mathcal{P}(\mathcal{H})$	237
*	convolution of measures and functions	125
$\text{b}\mathcal{E}$	bounded measurable functions on $E$	–
$\mathbf{B}^\phi$	bundle associated to a cocycle	246
$\mathbf{C}$	the complex numbers	–
$\mathcal{C}$	a measure class on $(X, \mathcal{X})$	241
$\mathcal{C}_G$	measure class of Haar measure on $G$	241
$\chi$	a channeling, $\chi \in \mathcal{I}(k)$	88
$D(\chi)$	domain of $\chi$	142
$D_q M$	decomposable descent of kernel $M$ by $q$	160
$\mathcal{D}$	linear map of measures	194
$E$	configuration event of observer	23
$\hat{E}, \hat{E}^k$	state space of augmented dynamics	147
$\mathcal{E}$	$\sigma$ -algebra on $E$	23
$\hat{\mathcal{E}}$	$\sigma$ -algebra on $\hat{E}$	147
$\mathcal{E}_+$	nonnegative measurable functions on $E$	–
$\epsilon_x$	Dirac measure on the point $x$	–
$\eta$	interpretation kernel of observer	23
$\mathcal{F}$	$\sigma$ -algebra on $\Omega$	109
$\phi$	a cocycle	241
$\gamma f$	group element $\gamma$ acting on function $f$	220
$\gamma K$	group element $\gamma$ acting on kernel $K$	220
$\gamma \mu$	group element $\gamma$ acting on measure $\mu$	220
$(\gamma)R$	modification of action kernel	223
$(\gamma)A$	modification of participator	223
$G$	symmetry group of a symmetric framework	93
$Gm$	orbit of $m$ under group $G$	80
$G/E$	quotient set of $G$ by $E$	79
$\mathcal{H}$	Hilbert space	231
$\mathbf{H}^1$	collection of all $(G, X, M)$ cohomology classes	242
$h_* \mu$	“pushdown” of measure $\mu$	21
$h^* f$	“pullback” of function $f$	171

$h^*\mathcal{V}$	$\sigma$ -algebra induced by $h$	159
$\text{Id}_X$	identity map on $X$	–
$\iota$	identity element of a group	80
$\mathcal{I}(k)$	set of involutions on subsets of $k$ elements	142
$J$	the symmetry group of $E$ , $J \subset G$	93
$\hat{J}^k$	$J^k \times \mathcal{I}(k)$	169
$L$	active perspectives in a channeling	87
$L^2(X, m)$	(or $L^2(m)$ ) square integrable functions	119
$m_p^\mu$	rcpd of $\mu$ wrt $p$ , a kernel	22
$M_\nu(A)$	probability measure on $(\Omega, \mathcal{F})$	162
$M_x(A)$	$= M_\nu(A)$ with $\nu(\cdot) = \epsilon_x(\cdot)$	162
<b>N</b>	the natural numbers	–
$N_t$	markovian kernel, standard dynamics	145
$N_{t,\chi}$	markovian kernel, channeling dependent	143
$N^\dagger$	a kernel, $N^\dagger(e, A) = N(-e, -A)$	125
$\hat{N}$	markovian kernel, augmented dynamics	149
$\Omega$	canonical probability space	109
$\hat{\Omega}$	augmented chain canonical probability space	151
$\otimes$	tensor product	–
$1_A$	characteristic function of set $A$	–
$\mathcal{P}(\mathcal{H})$	set of orthogonal projections on $\mathcal{H}$	232
$\text{pr}_1$	projection onto first factor	–
$P_n$	$n$ -fold product of kernel $P$ with itself	109
$p_*(\mu)$	distribution of $p$ wrt measure $\mu$	21
$p_*^\tau(\hat{N})$	a kernel, the bring down of $\hat{N}$	154
$\prod$	product	–
$\pi$	perspective map of observer	23
$\pi _E$	restriction of map $\pi$ to set $E$	–
$\Psi$	quantum mechanical wave function	233
<b>Q</b>	the rational numbers	–
$Q(s, \cdot)$	action kernel	140
$\langle Q_1, \dots, Q_k \rangle_\tau$	one step T.P. for $k$ participators	149
<b>R</b>	the real numbers	–
$R_q M$	respectful descent of kernel $M$ by $q$	158
$S$	observation event of observer	23
$\sigma$	state of a physical system	232
$\Sigma_m$	stabilizer of $m$	80
$T_q$	proper time of participator $q$	121

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$\tau$	kernel for channeling probabilities	145
$\theta(A)$	shift operator applied to event $A$	109
$\Theta$	reflexive framework	–
$\mathcal{U}$	group of unitary automorphisms of $\mathcal{H}$	237
$X$	configuration space of observer	23
$\xi$	starting measure of participator	140
$Y$	observation space of observer	23
$\mathbf{Z}$	the integers	–